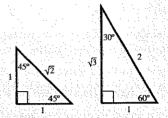
SECTION

SUMMARY

ins section you have practiced working with angles and igles. One unit of measure of angles is degrees. An angle suring exactly 90° is called a right angle. The sum of the angles of any triangle is always 180°. Triangles that had a right angle are called right triangles. With the hagorean theorem you can solve for one side of a right light given the other two sides. The right triangles 30°-60°-90° 45°-45°-90° are special because of the simple numerical mions of their sides.



SECTION

EXERCISES

SKILLS

In Exercises 1-8, specify the measure of the angle in degrees using the correct algebraic sign (+ or -).

- 1. ½ rotation counterclockwise
- 2. $\frac{1}{4}$ rotation counterclockwise
- 3. $\frac{1}{3}$ rotation clockwise

- 4. ½ rotation clockwise
- 5. $\frac{5}{6}$ rotation counterclockwise
- 6. $\frac{7}{12}$ rotation counterclockwise

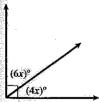
- 7. \frac{4}{5} rotation clockwise
- 8. 5 rotation clockwise

In Exercises 9-14, find (a) the complement and (b) the supplement of each of the given angles.

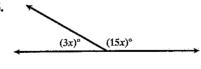
- **9.** 18'
- 10. 39°
- 11. 42°
- **12.** 57°
- 13. 89°
- 14. 75°

In Exercises 15-18, find the measure of each angle.

15.



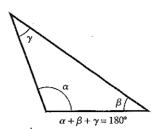
16.



- 17. Supplementary angles with measures 8x degrees and 4x degrees
- 18. Complementary angles with measures 3x + 15 degrees and 10x + 10 degrees

In Exercises 19-24, refer to the following triangle in the drawing.

- 19. If $\alpha = 117^{\circ}$ and $\beta = 33^{\circ}$, find γ .
- **20.** If $\alpha = 110^{\circ}$ and $\beta = 45^{\circ}$, find γ .
- **21.** If $\gamma = \beta$ and $\alpha = 4\beta$, find all three angles.
- **22.** If $\gamma = \beta$ and $\alpha = 3\beta$, find all three angles.
- 23. If $\beta = 53.3^{\circ}$ and $\gamma = 23.6^{\circ}$, find α .
- **24.** If $\alpha = 105.6^{\circ}$ and $\gamma = 13.2^{\circ}$, find β .



14 CHAPTER 1 Right Triangle Trigonometry

In Exercises 25–30, refer to the right triangle in the drawing. Express lengths *exactly*.

25. If a = 4 and b = 3, find c.

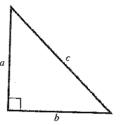
26. If a = 3 and b = 3, find c.

27. If a = 6 and c = 10, find b.

28. If b = 7 and c = 12, find a.

29. If a = 8 and b = 5, find c.

30. If a = 6 and b = 5, find c.



In Exercises 31-36, refer to the 45°-45°-90° triangle in the drawing. Express lengths exactly.

31. If each leg has length 10 inches, how long is the hypotenuse?

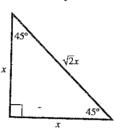
32. If each leg has length 8 meters, how long is the hypotenuse?

33. If the hypotenuse has length $2\sqrt{2}$ centimeters, how long is each leg?

34. If the hypotenuse has length $\sqrt{10}$ feet, how long is each leg?

35. If each leg has length $4\sqrt{2}$ inches, how long is the hypotenuse?

36. If the hypotenuse has length 6 meters, how long is each leg?



In Exercises 37-42, refer to the 30°-60°-90° triangle in the drawing. Express lengths exactly.

37. If the shortest leg has length 5 meters, what are the lengths of the other leg and the hypotenuse?

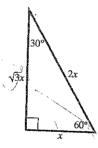
38. If the shortest leg has length 9 feet, what are the lengths of the other leg and the hypotenuse?

39. If the longer leg has length 12 yards, what are the lengths of the other leg and the hypotenuse?

40. If the longer leg has length n units, what are the lengths of the other leg and the hypotenuse?

41. If the hypotenuse has length 10 inches, what are the lengths of the two legs?

42. If the hypotenuse has length 8 centimeters, what are the lengths of the two legs?



ARRIGICATIONS

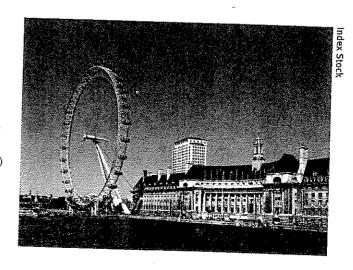
43. Clock. What is the measure of the angle (in degrees) that the minute hand traces in 20 minutes?

44. Clock. What is the measure of the angle (in degrees) that the minute hand traces in 25 minutes?

45. One London Eye. The London Eye (similar to a bicycle wheel) makes one rotation in approximately 30 minutes. What is the measure of the angle (in degrees) that a cart (spoke) will rotate in 12 minutes?

46. London Eye. The London Eye (similar to a bicycle wheel) makes one rotation in approximately 30 minutes. What is the measure of the angle (in degrees) that a cart (spoke) will rotate in 5 minutes?

47. Revolving Restaurant. If a revolving restaurant can rotate 270° in 45 minutes, how long does it take for the restaurant to make a complete revolution?



rotate 72° is restaurant to 49. Field 7 judged by t

48. Revolv

49. Field 1 judged by t fallen bird. along the si dog will tra of a right tr Pythagorear and swim) nearest foot

50. Field ' and swim i walks 25 fe bird. Round

51. Christ lights along house is 10 many linea Round to the state of t